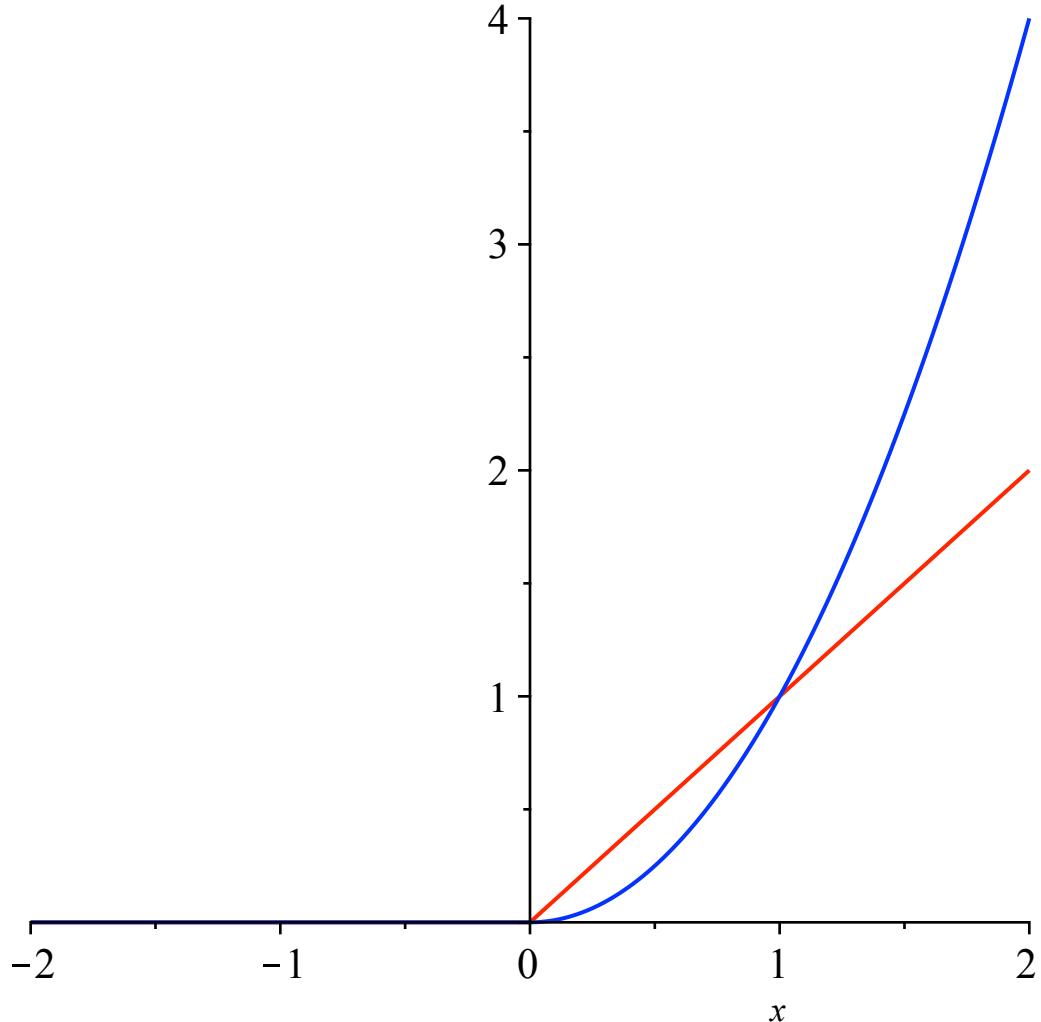


```

> f1 := x·Heaviside(x);f2 := x2·Heaviside(x)
      f1 := x Heaviside(x)
      f2 := x2 Heaviside(x) (1)

> plot([f1,f2],x=-2..2,color=[ 'red','blue' ])

```

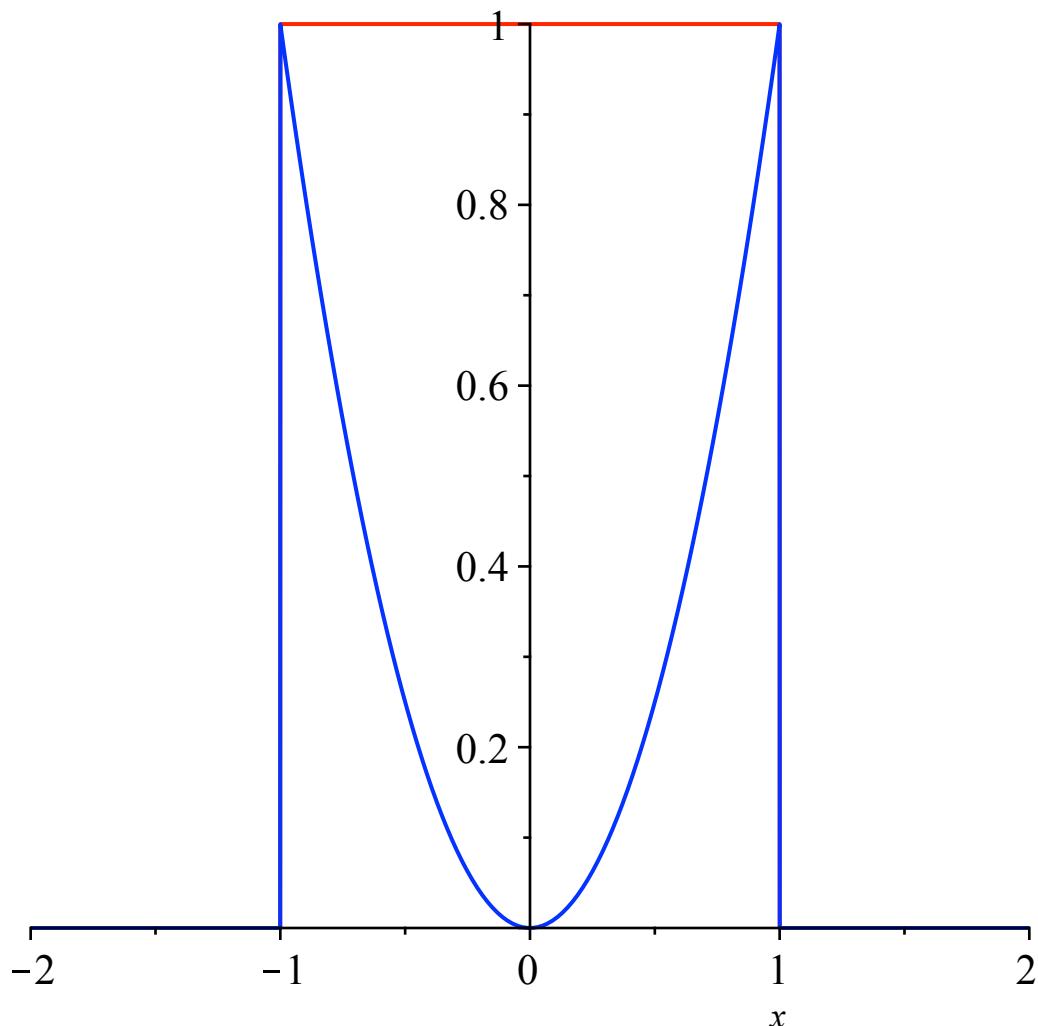


```

> f3 := Heaviside(x + 1) − Heaviside(x − 1);f4 := (Heaviside(x + 1) − Heaviside(x − 1))·x2
      f3 := Heaviside(x + 1) − Heaviside(x − 1)
      f4 := (Heaviside(x + 1) − Heaviside(x − 1)) x2 (2)

> plot([f3,f4],x=-2..2,color=[ 'red','blue' ])

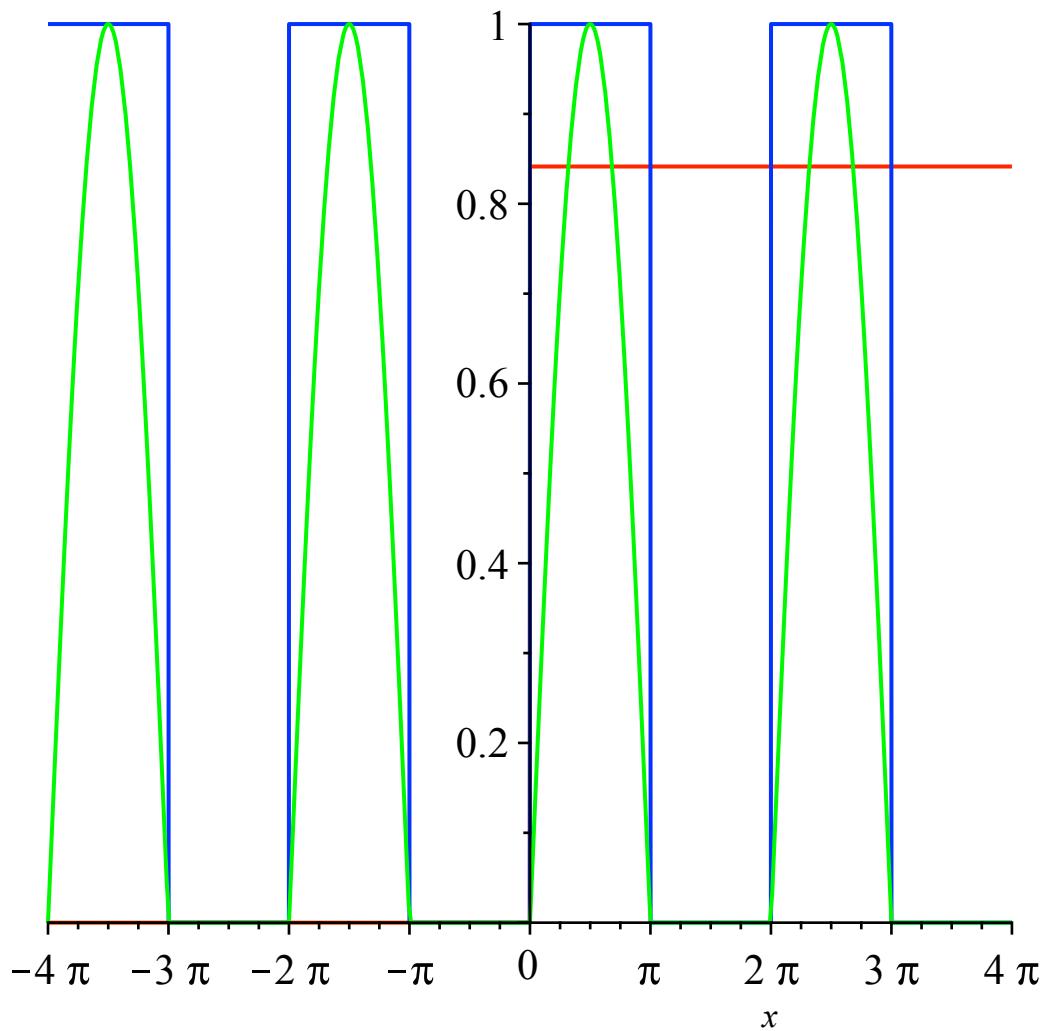
```



```

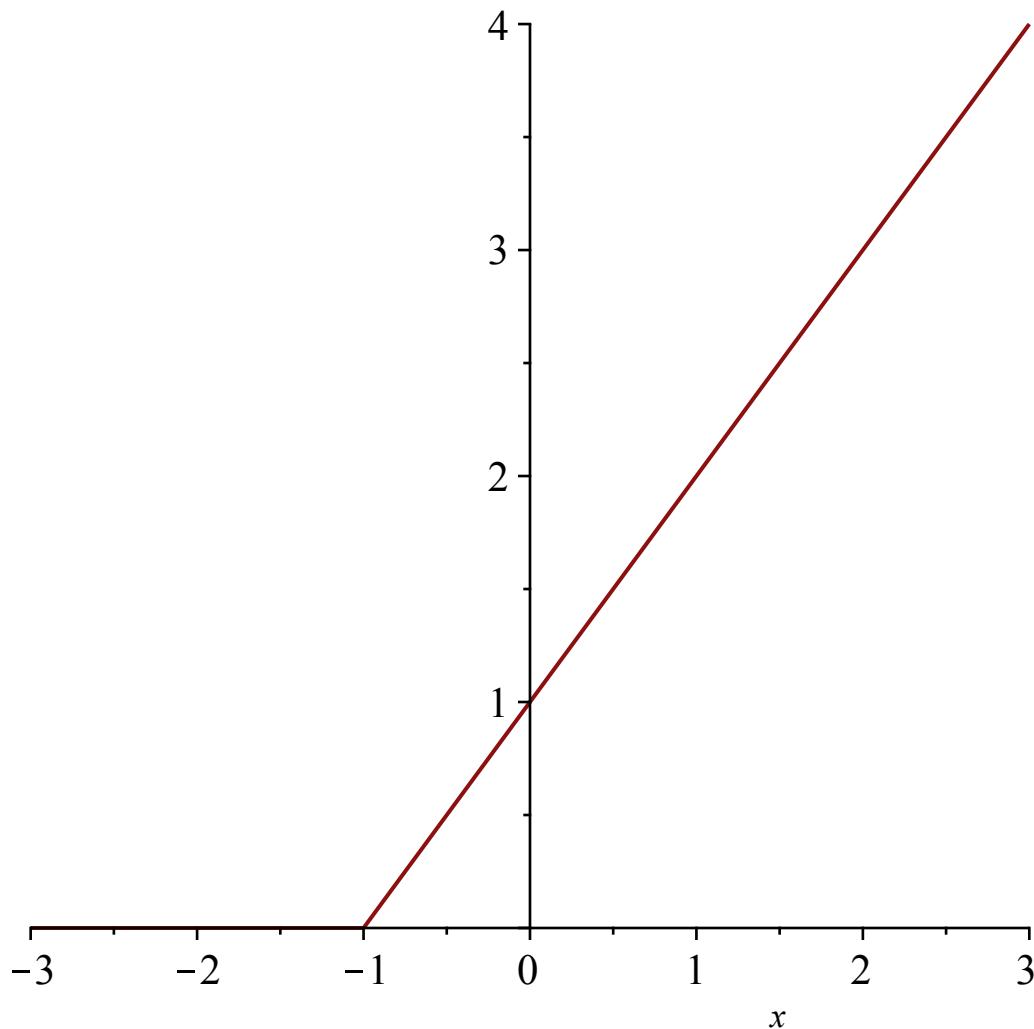
> f5 := sin(Heaviside(x));f6 := Heaviside(sin(x));f7 := f6·sin(x);
      f5 := sin(Heaviside(x))
      f6 := Heaviside(sin(x))
      f7 := Heaviside(sin(x)) sin(x) (3)
> plot([f5,f6,f7],x=-4·Pi..4·Pi,color = ['red','blue','green'])

```

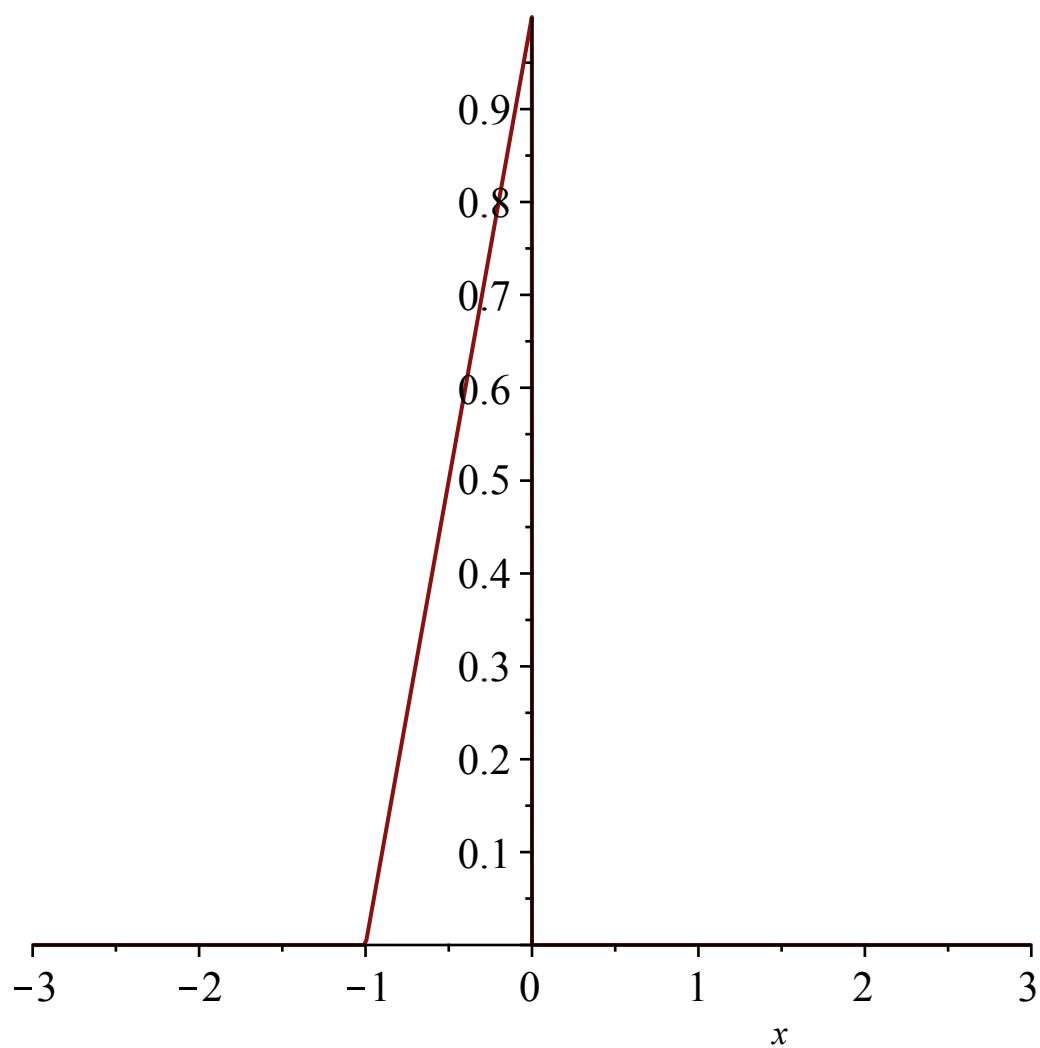


For Q2 I build the function out of what I know from Q1.

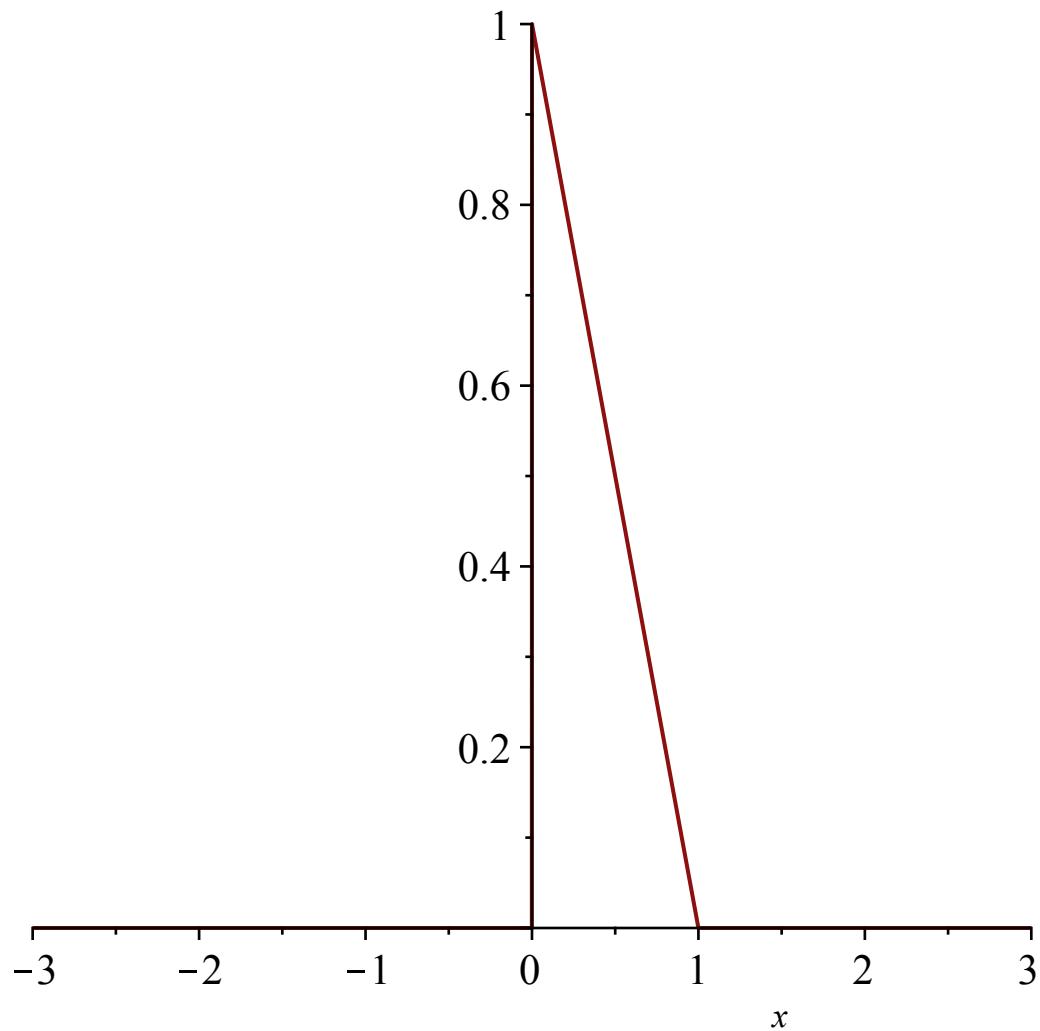
```
> fpc1 := (x + 1) · Heaviside(x + 1); plot(fpc1, x = -3 .. 3)
      fpc1 := (x + 1) Heaviside(x + 1)
```



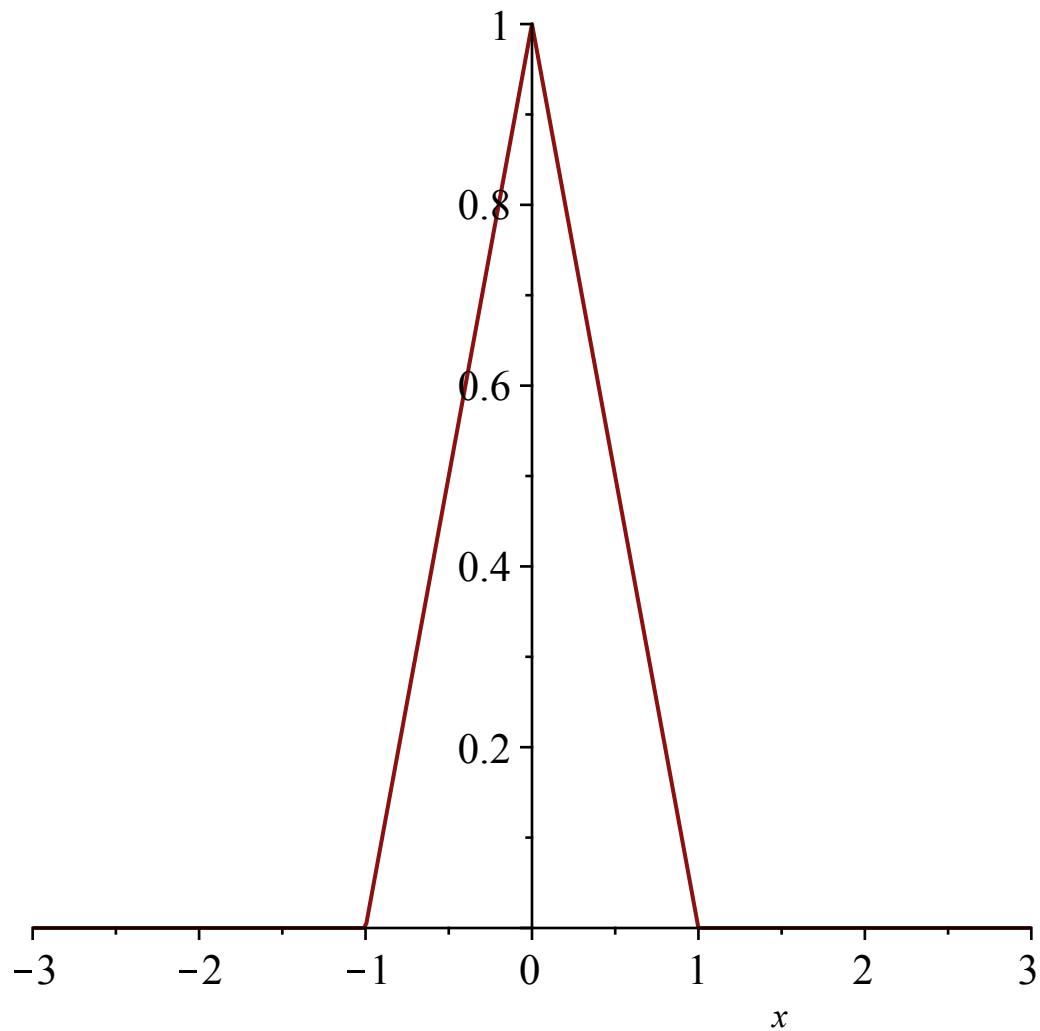
```
> fpcIb := (x + 1) · (Heaviside(x + 1) − Heaviside(x)); plot(fpcIb, x = -3 .. 3)  
fpcIb := (x + 1) (Heaviside(x + 1) − Heaviside(x))
```



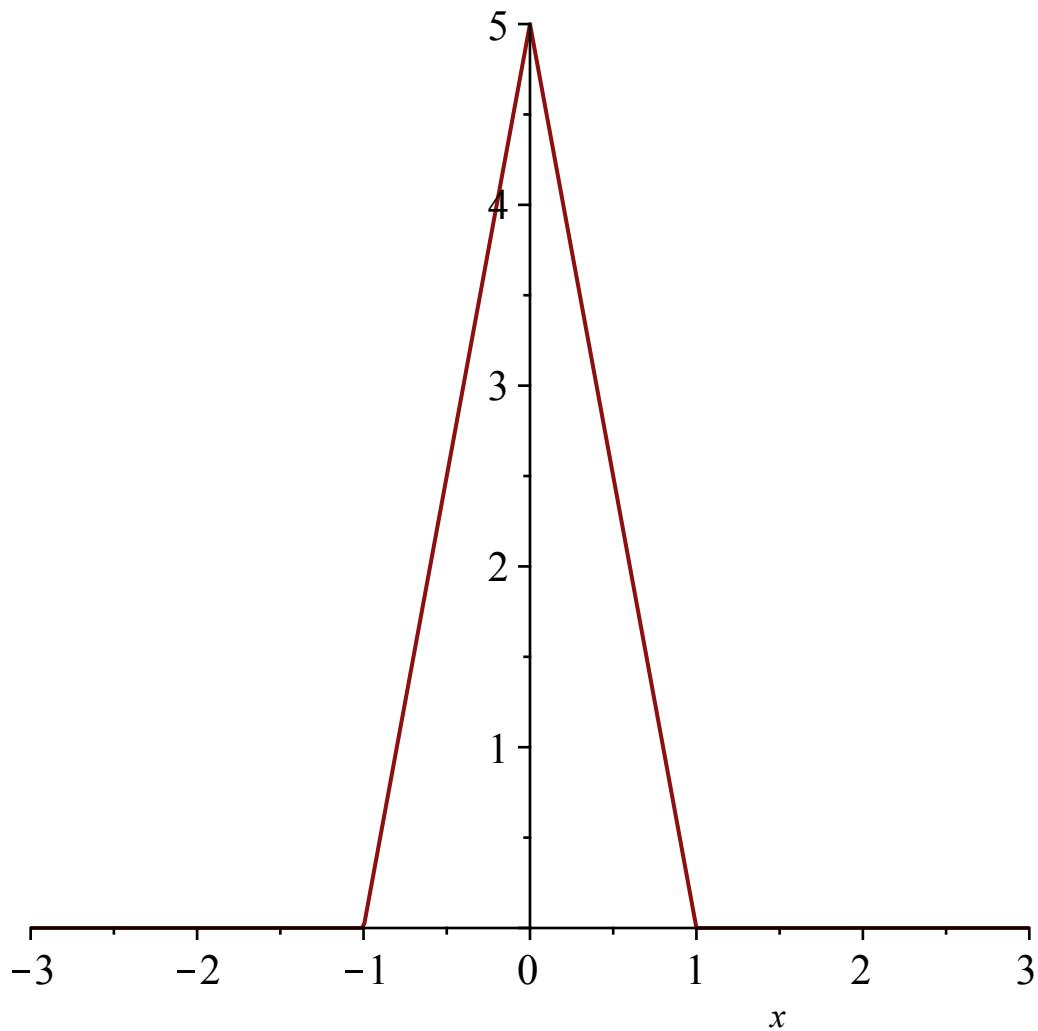
```
> fpc2 := (1-x)·(Heaviside(x) - Heaviside(x-1)); plot(fpc2, x=-3..3)
      fpc2 := (1-x) (Heaviside(x) - Heaviside(x-1))
```



```
> ftryI := fpc1b + fpc2; plot(ftryI, x=-3..3)
ftryI := (x + 1) (Heaviside(x + 1) - Heaviside(x)) + (1 - x) (Heaviside(x) - Heaviside(x - 1))
```



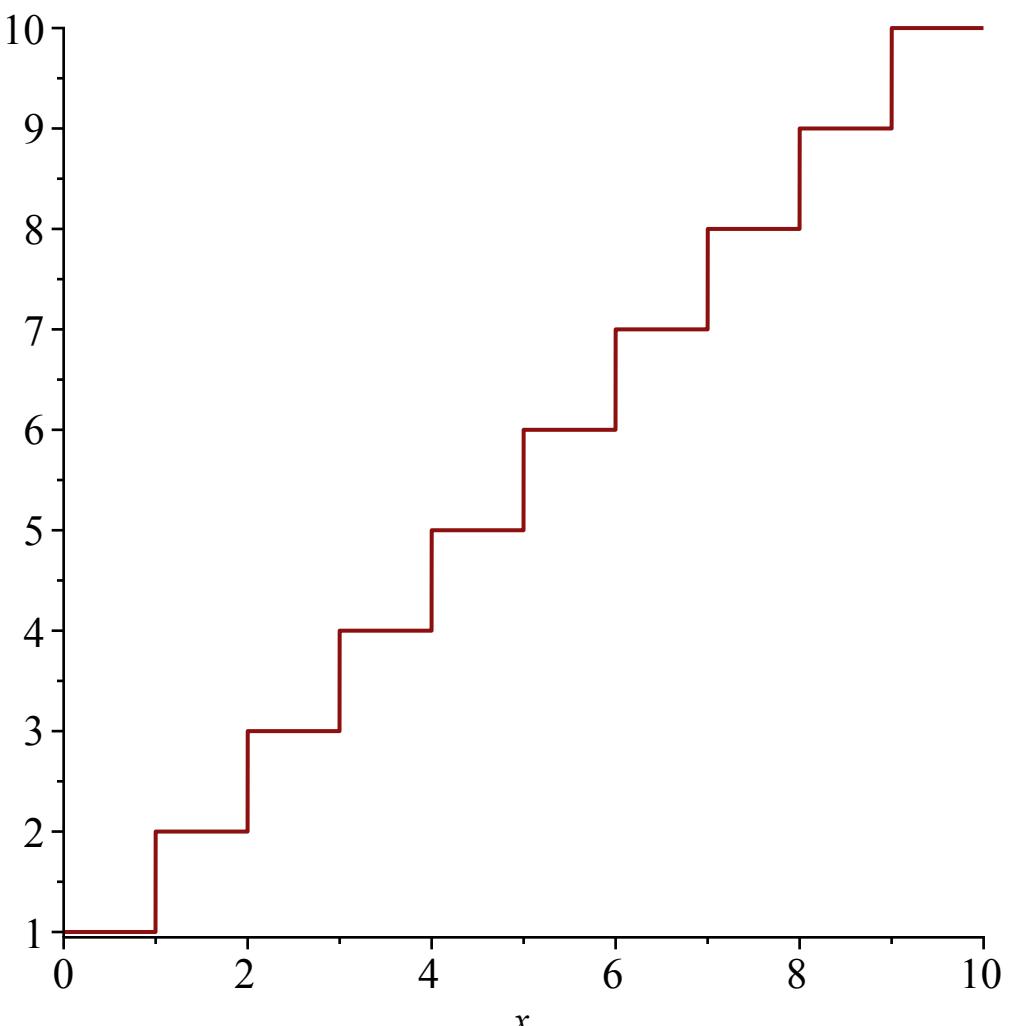
```
> ffinal := 5·(fpc1b + fpc2); plot(ffinal, x=-3..3)
ffinal := 5 (x + 1) (Heaviside(x + 1) - Heaviside(x)) + 5 (1 - x) (Heaviside(x)
- Heaviside(x - 1))
```



```

> f2final := sum(Heaviside(x - n), n = 0 .. 10)
f2final := Heaviside(x) + Heaviside(x - 1) + Heaviside(x - 2) + Heaviside(x - 3)
+ Heaviside(x - 4) + Heaviside(x - 5) + Heaviside(x - 6) + Heaviside(x - 7)
+ Heaviside(x - 8) + Heaviside(x - 9) + Heaviside(x - 10) (4)
> plot(f2final, x = 0 .. 10)

```



▶