



# Problem of the Week

## Problem C

### How It Ends

The product of the positive integers 1 to 4 is

$$4 \times 3 \times 2 \times 1 = 24$$

and can be written in an abbreviated form as  $4!$ . We say “4 *factorial*”. So  $4! = 24$ .

The product of the positive integers 1 to 16 is

$$16 \times 15 \times 14 \times \cdots \times 3 \times 2 \times 1$$

and can be written in an abbreviated form as  $16!$ . We say “16 *factorial*”.

The  $\cdots$  represents the product of all the missing integers between 14 and 3.

In general, the product of the positive integers 1 to  $n$  is  $n!$ . Note that  $1! = 1$ .

Determine the tens digit and units (ones) digit of the sum

$$1! + 2! + 3! + \cdots + 2019! + 2020! + 2021!$$

